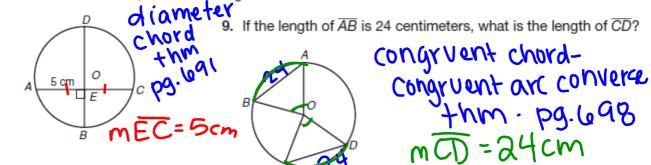
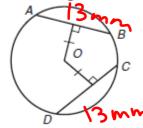
Questions on Lesson 9.4?

Answer these questions to help you review.

7. If BD is a diameter, what is the length of EC?



8. If the length of \overline{AB} is 13 millimeters, what is the length of \overline{CD} ?



equidistant chord converse thm. Pg 694

mCD=13mm

A B C B

10. If the length of \overline{BF} is 32 inches, what is the length of \overline{CH} ?

equidistant chord converse thm pg 694

AND

diameter-chord thm. 691

m CH = 16 inches

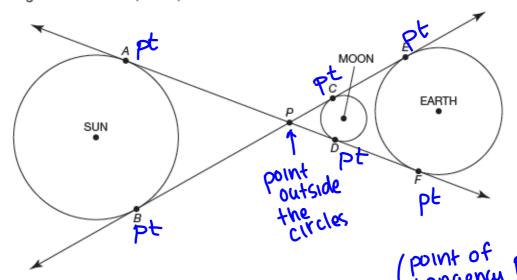
Solar Eclipses **Tangents and Secants**

9.5

pg.701 & 703 in your book

For the purposes of the problem situation, the Moon, the Sun, and Earth are represented by circles of different sizes.

Consider point P located outside of the Moon, Earth, and the Sun. Lines AF and BE are drawn tangent to the Moon, Earth, and the Sun as shown.



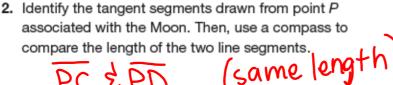
A tangent segment is a line segment formed by connecting a point outside of the circle to a point of tangency.

1. Identify the two tangent segments drawn from point P associated with the Sun. Then, use a compass to

compare the length of the two segments.

Same length

The figure is not drawn to scale because the sun is actually over 100 times larger than the Earth.



PCEPD



3. Identify the tangent segments drawn from point P associated with the Earth. Then, use a compass to compare the length of the two line segments.

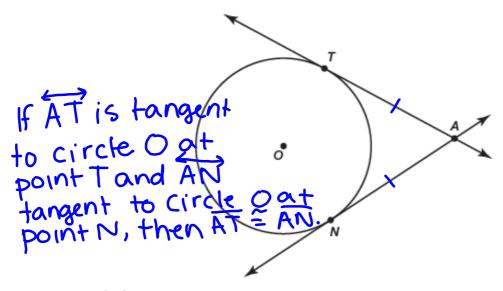
PF & PE (same length)

pg.704 in your book

It appears that two tangent segments drawn to the same circle from the same point outside of the circle are congruent.

This observation can be proved and stated as a theorem.

4. Prove the Tangent Segment Conjecture.



Given: \overrightarrow{AT} is tangent to circle O at point T.

 \overrightarrow{AN} is tangent to circle O at point N.

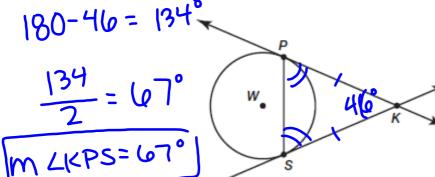
Prove: $\overline{AT} \cong \overline{AN}$

The **Tangent Segment Theorem** states: "If two tangent segments are drawn from the same point on the exterior of a circle, then the tangent segments are congruent.

pg.705 in your book

5. In the figure, \overrightarrow{KP} and \overrightarrow{KS} are tangent to circle W and $m \angle PKS = 46^{\circ}$. Calculate $m \angle KPS$.

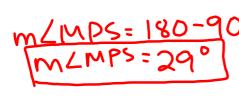
Explain your reasoning.

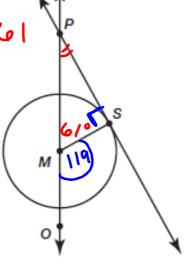


PR = FS 2 KPS=LKSP (% DKPS (5 1505celes)

6. In the figure, \overrightarrow{PS} is tangent to circle M and $m \angle SMO = 119^{\circ}$. Calculate $m \angle MPS$. Explain your reasoning.

180-119=61=mLPMS





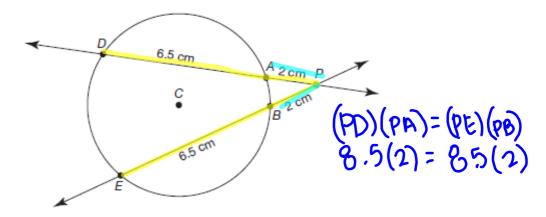
pg.706 in your book

A secant segment is the line segment formed when two secants intersect outside a circle.

A secant segment begins at the point at which the two secants intersect, continues into the circle, and ends at the point at which the secant exits the circle.

An external secant segment is the portion of each secant segment that lies on the outside of the circle. It begins at the point at which the two secants intersect and ends at the point where the secant enters the circle.

1. Consider circle C with the measurements as shown.

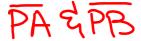


The vertex of $\angle DPE$ is located outside of circle C. Because this angle is formed by the intersection of two secants, each secant line contains a secant segment and an external secant segment.

a. Identify the two secant segments.



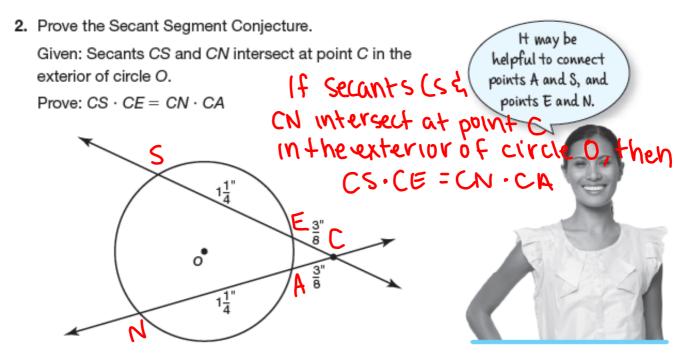
b. Identify the two external secant segments.



It appears that the product of the lengths of the segment and its external secant segment is equal to the product of the lengths of the second secant segment and its external secant segment.

This observation can be proved and stated as a theorem.

pg.707 in your book



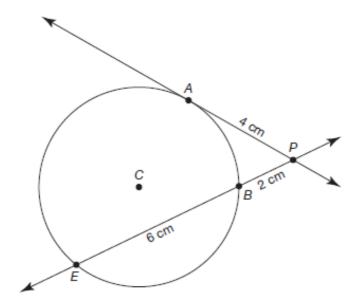
The Secant Segment Theorem states: "If two secants intersect in the exterior of a circle, then the product of the lengths of the secant segment and its external secant segment is equal to the product of the lengths of the second secant segment and its external secant segment."

PE(PB) = (PA)2

8(2)=(4)2

pg.708 in your book

3. Consider circle C with the measurements as shown.



The vertex of $\angle APE$ is located outside of circle C. Because this angle is formed by the intersection of a secant and a tangent, the secant line contains a secant segment and an external secant segment whereas the tangent line contains a tangent segment.

Identify the secant segment.

c. Identify the tangent segment.

secant It appears that the product of the lengths of the segment and its external secant segment is equal to the square of the length of the tangent segment.

This observation can be proved and stated as a theorem.

pg.709 in your book

4. Prove the Secant Tangent Conjecture.

Given: Tangent AT and secant AG intersect at point A in the

exterior of circle O.

Prove: $(AT)^2 = AG \cdot AN$

try connecting points N and t, and points G and t.

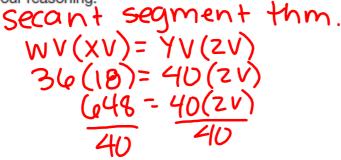
Secant AG Intersect at points Games Secant AG Intersect at point A inthe exterior of then (AT)2=(AG)(AN)

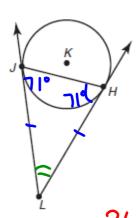
The **Secant Tangent Theorem** states: "If a tangent and a secant intersect in the exterior of a circle, then the product of the lengths of the secant segment and its external secant segment is equal to the square of the length of the tangent segment."

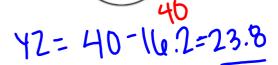
2. In the figure shown, rays LJ and LH are tangent to circle K, and the measure of angle LJH is 71°. What is the measure of angle JLH? Explain your reasoning.

tangent segment thm. TI ~ LH, SU LLJH = LJHL and

3. In the figure shown, WV = 36 inches, point X is a midpoint of segment WV, and YV = 40 inches. What is YZ? Explain vour reasoning.







4. In the figure shown, line FG is tangent to circle Q, BC = 10 feet, and CG = 4 feet. What is FG? Explain your reasoning.

tangent secant thm.

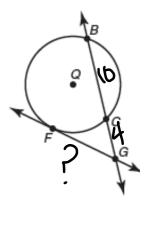
GB(GC)=(GF)²

$$14(4)=(GF)^2$$

 $56=(GF)^2$ or $56=x^2$
 $\pm 7.5=GF$ $\pm 7.5=X$

or
$$56-\sqrt{2}$$

 $\pm 7.5 = X$



Homework Finish Lesson 9.5