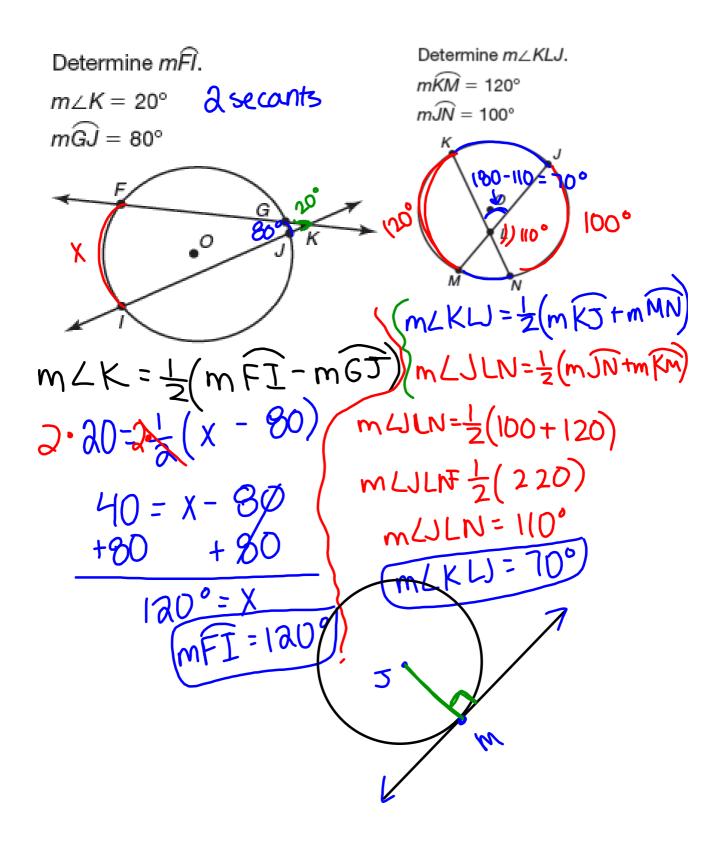
Questions on Lesson 9.3?

Answer these questions to help you review.



Color Theory Chords



pg.689 & 691 in your book

2. Prove the Diameter-Chord Conjecture.

Given: \overline{MI} is a diameter of circle O.

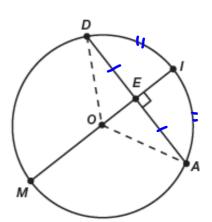
$$MI \perp DA$$

Prove MI bisects DA .

 MI bisects DA .

Means that

 $DE \cong EA$
 $DI \cong IA$



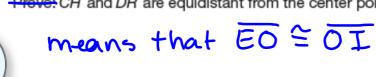
The Diameter–Chord Theorem states: "If a circle's diameter is perpendicular to a chord, then the diameter bisects the chord and bisects the arc determined by the chord."

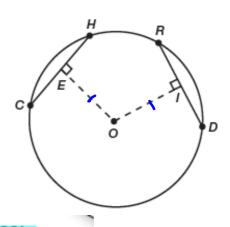
pg.693 in your book

4. Prove the Equidistant Chord Conjecture.

Given:
$$\overline{CH} \cong \overline{DR}$$
 $\overline{OE} \perp \overline{CH}$
 $\overline{OI} \perp \overline{DR}$
don't need

Preve: \overline{CH} and \overline{DR} are equidistant from the center point.





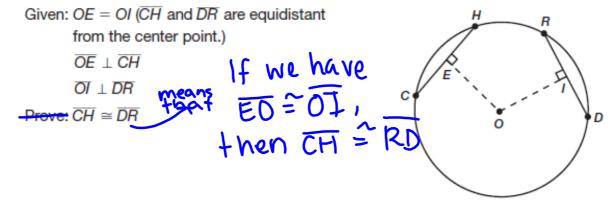
The Equidistant Chord Theorem states: "If two chords of the same circle or congruent circles are congruent, then they are equidistant

from the center of the circle."

pg.694 in your book

The Equidistant Chord Converse Theorem states: "If two chords of the same circle or congruent circles are equidistant from the center of the circle, then the chords are congruent."

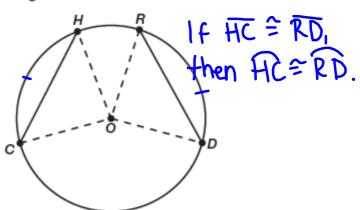
5. Prove the Equidistant Chord Converse Theorem.



HW: P9695.

pg.697 in your book

2. Prove the Congruent Chord-Congruent Arc Theorem.



Given: $\overline{CH} \cong \overline{DR}$

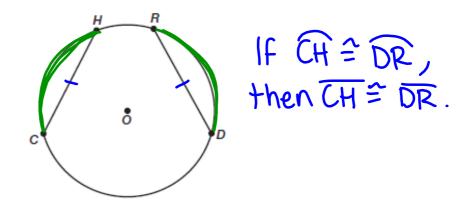
Prove: $\widehat{CH} \cong \widehat{DR}$

The Congruent Chord-Congruent Arc Theorem states: "If two chords of the same circle or congruent circles are congruent, then their corresponding arcs are congruent."

pg.698 in your book

The Congruent Chord-Congruent Arc Converse Theorem states: "If two arcs of the same circle or congruent circles are congruent, then their corresponding chords are congruent."

3. Prove the Congruent Chord-Congruent Arc Converse Theorem.

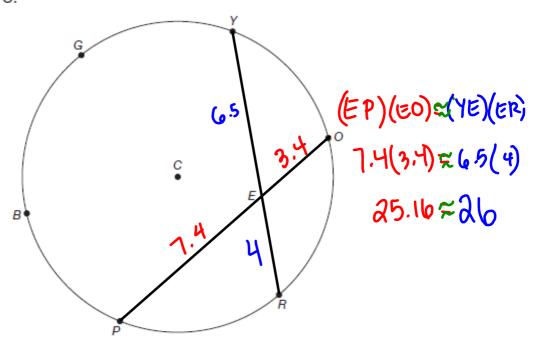


Given: $\widehat{CH} \cong \widehat{DR}$

Prove: $\overline{CH} \cong \overline{DR}$

Segments of a chord are the segments formed on a chord when two chords of a circle intersect.

1. Consider circle C.



- a. Draw two intersecting chords such that one chord connects two primary colors and the second chord connects to secondary colors.
- b. Label the point at which the two chords intersect point E.
- c. Use a ruler to measure the length of each segment on the two chords.

The product of the lengths of the segments on the first chord appears to be equal to the product of the lengths of the segments on the second chord.

This observation can be proved and stated as a theorem.

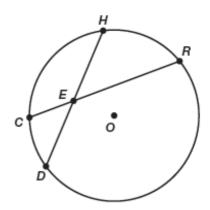
pg.699 in your book

2. Prove the Segment-Chord Conjecture.

Given: Chords HD and RC intersect at point E in circle O.

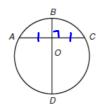
Prove: $EH \cdot ED = ER \cdot EC$





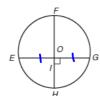
The Segment-Chord Theorem states that "if two chords in a circle intersect, then the product of the lengths of the segments of one chord is equal to the product of the lengths of the segments of the second chord."

Circle Chord Practice (9.4) 1. If diameter \overline{BD} bisects \overline{AC} , what is the angle of intersection?



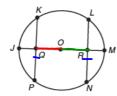
de ameter.

2. If diameter \overline{FH} intersects \overline{EG} at a right angle, how does the length of \overline{EI} compare to the length of \overline{IG} ?



diameter -chard morant

4. If $\overline{KP} \cong \overline{LN}$, how does the length of \overline{QO} compare to the length of \overline{RO} ?



equid theorem

chard theorem

chard theorem

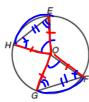
ionship between EH and FG?

EH = FG

optimidstant thm.

converse thm.

18. If $\angle EOH \cong \angle GOF$, what is the relationship between \widehat{EH} and \widehat{FG} ?

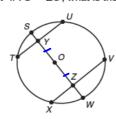


17. If $\angle AOB \cong \angle DOC$, what is the relationship between \overline{AB} and \overline{DC} ?





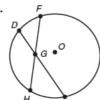
5. If $\overline{YO} \cong \overline{ZO}$, what is the relationship between \overline{TU} and \overline{XV} ?



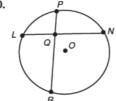


Use each diagram and the Segment Chord Theorem to write an equation involving the segments of the chords.

19.

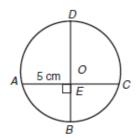


20.

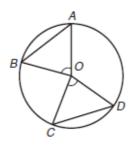


NOT in your book

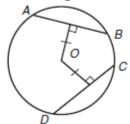
7. If BD is a diameter, what is the length of EC?



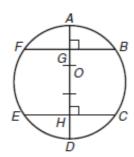
9. If the length of \overline{AB} is 24 centimeters, what is the length of \overline{CD} ?



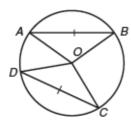
8. If the length of \overline{AB} is 13 millimeters, what is the length of \overline{CD} ?



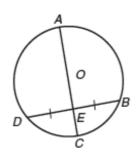
10. If the length of \overline{BF} is 32 inches, what is the length of \overline{CH} ?



11. If the measure of $\angle AOB = 155^{\circ}$, what is the measure of $\angle DOC$?



12. If segment \overline{AC} is a diameter, what is the measure of $\angle AED$?



Homework Finish Lesson 9.4